

**DHANALAKSHMI SRINIVASAN ENGINEERING COLLEGE**

(AUTONOMOUS)  
 (Approved by AICTE & Affiliated to Anna University, Chennai)  
 Re-Accredited with 'A' Grade by NAAC, Accredited by TCS  
 Accredited by NBA – BME, ECE & EEE  
**PERAMBALUR - 621 212. Tamil Nadu.**  
 website : www.dsengg.ac.in

**COURSE PLAN**

<b>Name of the Faculty</b>				
<b>Designation/Department</b>	ASSISTANT PROFESSOR/ MATHEMATICS			
<b>Course Code/Name</b>	U23MAT34/RANDOM PROCESS AND LINEAR ALGEBRA			
<b>Year/Section/Department</b>	II/A&C/ECE			
<b>Credits Details</b>	L: 3	T: 1	P: 0	C: 4
<b>Total Contact Hours Required</b>	60			

**Syllabus:**

<b>UNIT I/PROBABILITY AND RANDOM VARIABLES</b>	<b>12</b>
Axioms of probability – Conditional probability – Baye's theorem - Discrete and continuous random variables – Moments – Moment generating functions – Binomial, Poisson, Geometric, Uniform, Exponential and Normal distributions - Functions of a random variable	
<b>UNIT II /TWO - DIMENSIONAL RANDOM VARIABLES</b>	<b>12</b>
Joint distributions – Marginal and conditional distributions – Covariance – Correlation and linear regression – Transformation of random variables – Central limit theorem (for independent and identically distributed random variables).	
<b>UNIT III/ RANDOM PROCESSES</b>	<b>12</b>
Classification – Stationary process – Markov process - Poisson process - Discrete parameter Markov chain – Chapman Kolmogorov equations (Statement only) -Limiting distributions.	
<b>UNIT IV/ VECTOR SPACES</b>	<b>12</b>
Vector spaces – Subspaces – Linear combinations and linear system of equations – Linear independence and linear dependence – Bases and dimensions.	
<b>UNIT V/ LINEAR TRANSFORMATION AND INNER PRODUCT SPACES</b>	<b>12</b>
Linear transformation - Null spaces and ranges - Dimension theorem - Matrix representation of a linear transformations - Inner product - Norms - Gram Schmidt orthogonalization process - Adjoint of linear operations – Least square approximation.	

**Objective:**

The main learning objective of this course is to prepare the students for:

CO 1: To understand the basic concepts of probability, one and two Dimensional random variables and to introduce some standard distributions applicable to engineering which can describe real life phenomenon.

CO 2: To introduce the basic concepts of two dimensional random variables

CO 3: To provide necessary basic concepts in probability and random processes for applications such as random signals, linear systems in communication engineering.

CO 4: To introduce the basic notions of vector spaces which will then be used to solve related problems

CO 5: To introduce the basic concept of linear transformation, inner product space and orthogonalization.

CO6 : To introduce the Least square approximation method allow the analyst to determine the way of fitting a curve of a chart of data points.

**Text Book:**

**T1:** Gross,D., Shortle, J.F, Thompson ,J.M and Harris. C.M., “Fundamentals of Queueing Theory”, Wiley Student 4<sup>th</sup> Edition , 2014.

**T2:** Ibe, O.C., “Fundamentals of Applied Probability and Random Processes”, Elsevier ,1<sup>st</sup> Indian Reprint, 2007.

**T3:** Friedberg. A.H., Insel. A.J. and Spence. L., “Linear Algebra”, Prentice Hall of India, New Delhi , 4<sup>th</sup> Edition , 2004.

**Reference Book:**

**R1:** Hsu, "Schaum's Outline of Theory and Problems of Probability , Random Variables and Random Processes" , Tata McGraw Hill Edition, New Delhi , 2004.

**R2:** Yates, R.D. and Goodman. D.J., "Probability and Stochastic Processes", 2<sup>nd</sup> Edition , Wiley India Pvt. Ltd., Bangalore, 2012.

**R3:** Kolman. B. Hill. D.R., “Introductory Linear Algebra” , Pearson Education , New Delhi , First Reprint, 2009.

**R4:** Kumaresan. S., “Linear Algebra – A Geometric Approach”, Prentice – Hall of India, New Delhi, Reprint, 2010.

**R5:** Strang. G., “Linear Algebra and its applications”, Thomson (Brooks/Cole), New Delhi , 2005.

**Website:**

W1:<https://www.slideshare.net/slideshow/ma3355random-processes-and-linear-algebra739353433ecema3355rpla-question-bankpdf/264848810>

W2: [https://www.stuffsector.org/2023/01/blog-post\\_08.html](https://www.stuffsector.org/2023/01/blog-post_08.html)

W3: <https://www.poriyaan.in/paper/random-process-and-linear-algebra-41/>

W4: <https://www.gbajipublishers.com/product/random-processes-and-linear-algebra/>

**Online Mode of Study:**

W1: [https://youtu.be/qvu2j8PGaEo?si=rBsFO\\_HVsjsj7mcY](https://youtu.be/qvu2j8PGaEo?si=rBsFO_HVsjsj7mcY)  
 W2: [https://youtu.be/Ja\\_88DojhP8?si=cHmn0fX4kPtWO66](https://youtu.be/Ja_88DojhP8?si=cHmn0fX4kPtWO66)  
 W3: <https://youtu.be/C4h8sllY87s?si=5K5BuKfQk8LpCDCj>  
 W4: <https://youtu.be/1XIT3Y2oyAU?si=ttlGj0w8Fbw2Q05o>  
 W5: <https://youtu.be/93hQGeeVh8M?si=6YKk9oiVvaYjsG9h>

**Course Plan:**

Topic Number	Topic	Reference Detail	Page Number	Mode of teaching	Number of Periods Required	Cumulative Period
<b>UNIT I - PROBABILITY AND RANDOM VARIABLES</b>						
1	Introduction to random variable	T1	59-61	BB	1	1
2	Probability Mass Function and Probability Density Function	T1	62-75	BB	2	3
3	Moments	T1	85-87	BB	1	4
4	Problem based on MGF	T1	88-101	BB	1	5
5	Binomial distribution	W1	-	BB	1	6
6	Poisson distribution	T1	130-132	BB	1	7
7	Geometric distribution	T1	116-120	BB	1	8
8	Uniform distribution	T1	141-143	BB	1	9
9	Exponential distribution	T1	133-136	BB	1	10
10	Gamma distribution	T1	126-128	BB	1	11
11	Normal distribution	T1	144-147	BB	1	12

**Outcome of Unit I:**

**At the end of the Unit, Students should be able to**

**CO1:** Understand the fundamental concepts of probability with a thorough knowledge of standard distributions that can describe certain real-life phenomenon.

**UNIT II - TWO DIMENSIONAL RANDOM VARIABLES**

12	Joint distribution and Marginal distribution	T1	167-173	BB	2	14
13	Conditional distribution	T1	178-182	BB	1	15
14	Problem based on marginal and conditional distribution	T1	173-175	BB	2	17
15	Covariance	T1	184-185	BB	1	18
16	Properties , problems on correlation	W2	-	BB	2	20
17	Linear regression-properties	R1	418-422	BB	2	22
18	Transformation of random variables	T1	197-215	BB	1	23
19	Problems on transformation of random variable	T1	197-215	BB	1	24

**Outcome of Unit II:**

**At the end of the unit, students should be able to**

**CO2:** Understand the basic concepts of one and two dimensional random variables and apply in engineering applications.

**UNIT III - RANDOM PROCESSES**

23	Introduction, classification	T1	267-273	BB	1	25
24	Stationary process-wide sense stationary	TI	275-278	BB	1	26
25	Strict sense stationary	T1	278-282	BB	1	27
26	Markov process	R3	309-316	BB	3	30
27	Markov chain	W3	-	BB	1	31
28	Problem based on	TI	364-368	BB	2	33

	markov process					
29	Transition probabilities	T1	369-376	BB	2	35
30	Poisson process-problem	T1	342-356	BB	1	36
31	Introduction, classification	T1	267-273	BB	1	37

**Outcome of Unit III:****At the end of the unit, students should be able to****CO3:** Apply the concept of random processes in engineering disciplines.**UNIT IV - VECTOR SPACES**

32	Vector spaces	T1	4.1-4.24	BB	1	38
33	Subspaces	T1	4.25-4.50	BB	1	39
34	Linear combinations and system of linear equations	T1	4.51-4.63	BB	2	41
35	Linear dependence	T1	4.64-4.77	BB	1	42
36	linear independence	T1	4.77-4.85	BB	1	43
37	Bases and Dimension	T1	4.85-4.105	BB	1	44
38	Finite dimensional vector space	T1	4.105-4.112	BB	1	45
39	Lagrange interpolation formula	T1	4.113-4.14	BB	1	46

**Outcome of Unit IV:****At the end of the unit, students should be able to****CO4:** Understand the concept of Vector spaces, subspaces, bases and dimensions.**UNIT V - LINEAR TRANSFORMATION AND INNER PRODUCT SPACE**

40	Linear transformation null spaces and ranges	T1	5.1-5.62	BB	3	49
41	The matrix representation of a	T1	5.63-5.85	BB	2	51

	linear transformation					
42	Inner product space	T1	5.86- 5.121	BB	2	53
43	The Gram-Schmidt orthogonalization process and orthogonal complements	T1	5.121- 5.131	BB	2	55
44	Inner product space-matrices	T1	5.132- 5.172	BB	4	59
45	The adjoint of a linear operator	T1	5.172- 5.196	BB	1	60

**Outcome of Unit V:**

**At the end of the unit, students should be able to**

**C05:** Understand the relationship between a linear transformation and its matrix representation.

**C06:** Understand Least square approximation method allow the analyst to determine the way of fitting a curve of a chart of data points.

**Course Outcome:**

At the end of course: Students should be able to do:

**C01:** Understand the fundamental concepts of probability with a thorough knowledge of standard distributions that can describe certain real-life phenomenon.

**C02:** Understand the basic concepts of one and two dimensional random variables and apply in engineering applications.

**C03:** Apply the concept of random processes in engineering disciplines.

**C04:** Understand the concept of Vector spaces, subspaces, bases and dimensions.

**C05:** Understand the relationship between a linear transformation and its matrix representation.

**C06:** Understand Least square approximation method allow the analyst to determine the way of fitting a curve of a chart of data points.

**Course Outcome Vs Program Outcome Mapping:**

Cos	P01	P02	P03	P04	P05	P06	P07	P08	P09	P010	P011	P012	PS01	PS02
<b>CO1</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0
<b>CO2</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0
<b>CO3</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0
<b>CO4</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0
<b>CO5</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0
<b>CO6</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0
<b>AVG</b>	3	3	0	0	0	0	0	0	3	0	0	2	0	0

**Content beyond Syllabus:**

- ❖ Identify and set up relevant random experiments to apply tail inequalities.
- ❖ Comprehend and use the properties of random process in real world situations.
- ❖ Define and apply various concepts of probability theory.
- ❖ Use linear algebraic methods to perform computational tasks.
- ❖ Be able to identify and comprehend linear algebraic structures that appear in various areas of computer science.

**Internal Evaluation Components:**

Webportal	Assignment	Components	Topic Number with Topic / Unit Details	Relevance to CO
<b>Webportal 1</b>	--	<b>Assessment - I (60)</b>	<b>Unit I and II</b>	<b>CO 1 &amp; CO2</b>
	<b>1</b>	<b>Assignment - Handwritten (20)</b>	1.Binomial distributions 2.Poisson distributions 3.Exponential distributions	<b>CO 1</b>
	<b>2</b>	<b>Assignment - Poster Presentation / PPT (20)</b>	1.Correlation co-efficients 2.Regression lines 3.Poisson distribution	<b>CO 2</b>
<b>Webportal 2</b>	--	<b>Assessment - II (60)</b>	<b>Unit III and IV</b>	<b>CO3 &amp; CO4</b>
	<b>3</b>	<b>Seminar (20)</b>	1.Strictly sense stationary 2.Wide sense stationary	<b>CO3</b>
	<b>4</b>	<b>Case Study Report (20)</b>	1.Vector spaces 2.Subspaces	<b>CO4</b>
<b>Webportal</b>	--	<b>Model Exam (75)</b>	<b>Unit I to V</b>	<b>CO1 to</b>

<b>3</b>				<b>C06</b>
	<b>5</b>	<b>MCQ (15)</b>	<b>Unit I to V</b>	<b>C01 to C06</b>
	-	<b>Course Attendance (10)</b>		

**Submission Details:**

Phase 1 (Before AT 1)		Phase 2 (Before AT 2)		Phase 3 (Model)
Assignment 1	Assignment 2	Assignment 3	Assignment 4	Assignment 5

**Google Class Code Details:**

Class Name: ECE A (zsbetde) &

Class Name: ECE B (t2wdtzw)

**PLAN OF ASSESSMENT TEST - DISTRIBUTION OF MARKS:**

TEST	CO- MARK WISE DISTRIBUTION						BLOOM'S LEVEL MARK WISE DISTRIBUTION					
	C01	C02	C03	C04	C05	C06	BTL1	BTL2	BTL3	BTL4	BTL5	BTL6
AT-1			-	-	-	-			-	-	-	-
AT-2	C01	C02	C03	C04	C05	C06	BTL1	BTL2	BTL3	BTL4	BTL5	BTL6
	-	-			-	-						
MODEL	C01	C02	C03	C04	C05	C06	BTL1	BTL2	BTL3	BTL4	BTL5	BTL6

**Prepared By**

**Verified By**

**Approved By  
(PRINCIPAL)**